

Drastic-Variation Condition of Electric Field and Its Applications in Microwave Heating

Zhengming Tang¹, Sanmei Zhang¹, Tao Hong¹, Fangyuan Chen³, and Kama Huang²

¹China West Normal University, Nanchong, 637002, China
zhengmtang@163.com, zhangsm@cwnu.edu.cn, scu_mandela@163.com

²College of Electronics and Information Engineering
Sichuan University, Chengdu, 610064, China
kmhuang@scu.edu.cn

³State Key Laboratory of Electromagnetic Environment
China Aerospace and Science Technology Corporation, Shanghai, 200090, China
fangyuanscu@outlook.com

Abstract — Microwave heating usually leads to non-uniform temperatures due to the existence of drastic-variation of electric field. In this paper, a numerical method combined with integral equation and spectrum analysis is proposed to find its critical condition. Results show that the electric field is generally unstable, and a tiny shift in microwave frequency, permittivity of dielectric object or cavity geometrical parameters will produce a drastic variation in electric field distribution, moreover, the smallest shift of parameter can be obtained by the reverse search. FEM method is used to verify the conclusions. Finally, some supplements for the interest regarding practical applications are presented and analyzed.

Index Terms — Drastic-variation condition, electric field, integral equation, microwave heating.

I. INTRODUCTION

Microwave heating has been widely used for domestic, scientific and industrial applications due to its convenience and high efficiency [1-3]. However, in a multimode cavity, microwave heating usually leads to non-uniform temperatures [4], which will restrict the quality of a product. Since heating uniformity is mainly dependent on and affected by the distribution of electric field [5], and in a multimode cavity the electric field is prone to be unstable, it is necessary to study the detailed characteristics of electric field.

The drastic-variation in electric field refers to the effects on either the distribution or amplitude, or both, because of the tiny shift in system parameters. The drastic-variation of electric field usually causes non-uniform heating and results in hot spots (huge temperature gradient in certain areas) and thermal runaway (uncontrollable

temperature rise due to strong dielectric loss – temperature positive feedback of the heating object), which restrict heating efficiency and even lead to some serious safety issues [6]. The instability of the electric field, especially its critical condition, is of great importance to the prevention of hot spots, thermal runaway and enhancement of heating uniformity.

To determine the condition of a drastic-variation in electric field, it is important to find the relevant parameters. Several researches are published to investigate the characteristics of electric field, such as the study of improving electric field uniformity in reverberation chambers via mode stirs [7-8]. These might be considered as positive applications of the instability of electric field. Moreover, Hill studied the instability of electric field by examining the mode density in cavity [9]. He gave a relatively rough consideration, such as his research didn't involve the discussion of permittivity. Whereas, for microwave heating, permittivity is an important parameter that may affect the interaction between microwave and the heating object. More recently, Budko et al. investigated the electric field resonance by the spatial spectrum of electric field volume integral equation [10-11]. Although it can provide us with a useful guidance, it is not specifically aimed at the case of microwave heating.

This study presents a numerical method to determine the drastic-variation condition of electric field in multimode microwave heating system. Integral equation and spectrum analysis are used to find the electric field highly dependent parameters. On the bases of such analysis the relevant parameters are obtained, and then the critical condition for a drastic variation in electric field is analyzed. Results show that even if a tiny shift in microwave frequency, the permittivity of dielectric

object or cavity geometrical parameters may produce a drastic variation in electric field, and the smallest shift of parameter can be obtained by the reverse search. Because the critical condition plays an important role in preventing hot spots and improving heating uniformity, two examples are given in this paper, which provide some supplement for practical application.

II. METHODOLOGY

The multimode microwave heating system analyzed is shown in Fig. 1. It consists of a rectangular metallic cavity connected to microwave source via a rectangular waveguide operating in the TE₁₀ mode. The dimensions of the cavity and rectangular waveguide are $l_x \times l_y \times l_z$ and $a \times b \times c$, respectively. In addition, the area of access port is denoted as S_a . At the center of the bottom, there is a single cylindrical object, the radius, height and volume of which are r , h and V_d , respectively. Inside the cavity the permittivity can be shown as:

$$\varepsilon(r) = \begin{cases} \varepsilon_0 \varepsilon_r(r) - i \frac{\sigma(r)}{\omega}, & r \in V_d, \\ \varepsilon_0, & r \notin V_d. \end{cases} \quad (1)$$

where, $\varepsilon_r(r)$ is relative permittivity of dielectric object, ε_0 is permittivity of free space, and $\sigma(r)$ is conductivity.

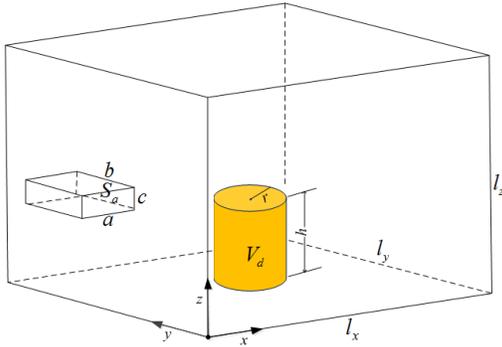


Fig. 1. Schematic of microwave heating.

The electromagnetic analysis of a microwave heating cavity containing dielectric objects and excited by a rectangular waveguide on the external surface can be performed using the Green's function of the empty structure. Moreover, the electric field can be represented by the sum of impressed electric field on the external surface and the polarization electric field inside the dielectric object [12]. The impressed electric field can be shown as [13]:

$$\mathbf{E}^{\text{inc}}(\mathbf{r}) = \iint_{S_a} \left[\mathbf{E}_{10t}(\mathbf{r}') \cdot \nabla \times \overline{\overline{\mathbf{G}}}_e(\mathbf{r}, \mathbf{r}') \right] dS_a, \quad (2)$$

where \mathbf{r}' and \mathbf{r} represent the source point and field point, respectively. $\mathbf{E}_{10t}(\mathbf{r}')$ is a tangential impressed field over the cross area and $\overline{\overline{\mathbf{G}}}_e(\mathbf{r}, \mathbf{r}')$ is dyadic Green's function of

the empty cavity [14-15]. When adding the polarization electric field, the total field can be expressed as:

$$\mathbf{E}(\mathbf{r}) = \mathbf{E}^{\text{inc}}(\mathbf{r}) + j\omega\mu_0 \int_{V_d} \overline{\overline{\mathbf{G}}}_e(\mathbf{r}, \mathbf{r}') \cdot \mathbf{J} d\mathbf{r}'. \quad (3)$$

Take into account the singularity arising when the field point coincides with the source point [16], Equation (2) becomes [17]:

$$\mathbf{E}^{\text{inc}}(\mathbf{r}) = \left[\overline{\overline{\mathbf{I}}} + \frac{1}{3} \chi(\mathbf{r}) \right] \mathbf{E}(\mathbf{r}) - \lim_{\delta \rightarrow 0} j\omega\mu_0 \int_{V_d - V_\delta} \overline{\overline{\mathbf{G}}}_e(\mathbf{r}, \mathbf{r}') \cdot \mathbf{J} d\mathbf{r}', \quad (4)$$

where $\overline{\overline{\mathbf{I}}}$ is the 3×3 dyadic identity, $\chi(\mathbf{r})$ is the relative electric contrast of the heating object with respect to free space, and

$$\chi(\mathbf{r}) = \frac{\sigma(\mathbf{r}) - j\omega\varepsilon(\mathbf{r})}{-j\omega\varepsilon_0} - \overline{\overline{\mathbf{I}}}, \quad (5)$$

moreover, \mathbf{J} is the induced polarized current density can be calculated as [18]:

$$\mathbf{J} = \left\{ \sigma - j\omega\varepsilon_0 [\varepsilon_r(r) - 1] \right\} \mathbf{E}(\mathbf{r}). \quad (6)$$

Equation (3) is a typical volume scattering equation, the instability of which can be analyzed by its numerical characteristics. Since the eigenvalues of the electric field equation is linked to its resonant modes, the electromagnetic problem can be studied by the characteristics of this equation. By taking similar strategy in previous studies [10], the instability of electric field is characterized by its discrete eigenvalues, and the discrete eigenvalues are bounded by:

$$\sigma(r) - \sigma(r) \text{Re} \lambda + \omega [\varepsilon(r) - \varepsilon_0] \text{Im} \lambda \leq 0, r \in V_d, \quad (7)$$

where, $\text{Re} \lambda$ and $\text{Im} \lambda$ are the real part and imaginary part, respectively. In Equation (7), when $\text{Re} \lambda \rightarrow 0$, the following equation can be obtained:

$$|\text{Im} \lambda| = \frac{\sigma(r)}{\omega [\varepsilon(r) - \varepsilon_0]}, r \in V_d. \quad (8)$$

It is not difficult to see the distributions of eigenvalues are affected by microwave frequency, the relative permittivity, and the cavity geometrical parameters, hence, the instability of the electric field is affected by these parameters. Without loss of generality, the average rate of variation of electric field is defined to quantify the instability of electric field:

$$V_{av} = \frac{1}{n-1} \sum_{i=1}^n (E_i - E_{i0})^2, \quad (9)$$

where n denotes the number of sampling points, E_{i0} and E_i denote the electric field amplitude of a single point before and after parameter shifting, respectively. Obviously, V_{av} can reflect the degree of electric field change of the whole system and the smallest shift of parameter, can be obtained by the reverse search of the critical value of V_{av} .

III. NUMERICAL RESULTS AND ANALYSIS

FEM method is used and performed by Comsol Multiphysics software 5.3b to calculate the electric field regarding the model shown in Fig. 1. The detailed parameters of the system are listed in Table 1, moreover, the relative permittivity, the microwave frequency and microwave power are assumed as $10-j*0.1$, 2.45 GHz, and 1w, respectively.

A. Dependent parameters

Figure 2 shows the detailed distribution of electric field for the case of 1% decrease in l_x and 1% increase in l_x , respectively. For simplicity, others are summarized in Table 2. Although the variation of electric field caused by the tiny shift of permittivity is relatively small, as can be seen, only a tiny shift of l_x or f can result in a drastic variation of electric field. The case of permittivity differs from the others mainly because it is also dependent on the volume ratio of dielectric body and cavity, as is demonstrated in [19]. A drastic variation of electric field will also be produced when the volume ratio of dielectric body and cavity big enough. With the increase in the dimension of dielectric body, the volume ratio of dielectric body and cavity becomes 0.04, the variation of electric field also turns out to be conspicuous, as can be seen in Fig. 3. In such a case, with only 1% decrease in ϵ_x or 1% increase in ϵ_x , the variation of electric field is 44.68% and 103.44%, respectively.

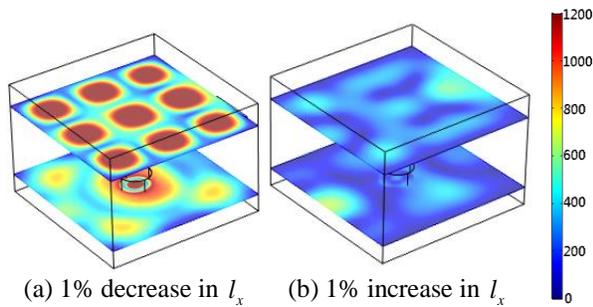


Fig. 2. Distribution of electric field after the shift of l_x .

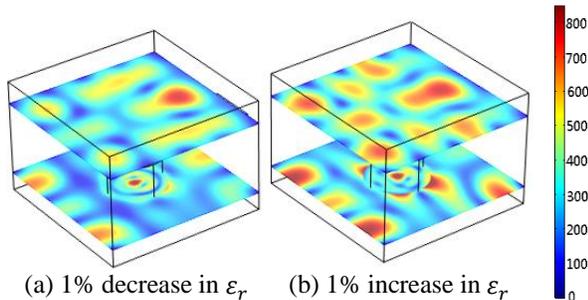


Fig. 3. Distribution of electric field after the shift of ϵ_r .

Table 1: Parameters of the microwave heating system

Parameter	Dimension and Value/(mm)	
	Dimension	Value
Cavity	$l_x \times l_y \times l_z$	267×270×188
Waveguide	$a \times b \times c$	50×78×18
Radius	r	25
Height	h	35

Table 2: Results of V_{av} because of only 1% shift of parameters

Parameter	Average Rate of Variation	
	V_{av-}	V_{av+}
f	58.16%	126.17%
ϵ_r	7.09%	5.46%
l_x	493.88%	34.65%

B. Critical values

The critical value of V_{av} is assumed as V_c , which means if the calculated V_{av} is larger than V_c , a drastic variation of electric field has been produced, and the reverse means the electric field hasn't made major change. Here, $V_c = 5\%$ is assumed as a critical value, the reverse parameter search with a step of $\frac{1}{8000}$ is implemented. The smallest shift of parameters are then obtained as is shown in Table 3. For example, it shows that the electric field will have a drastic variation with a decrease of $\frac{1}{3200}$ or an increase of $\frac{3}{8000}$ in microwave frequency, respectively.

Table 3: The smallest shift of parameters

Parameter	Shift of Parameters/Average Rate	
	P_- / V_{av}	P_+ / V_{av}
f	$-\frac{1}{3200} / 5.42\%$	$+\frac{3}{8000} / 5.42\%$
ϵ_r	$-\frac{3}{400} / 5.12\%$	$+\frac{1}{100} / 5.46\%$
l_x	$-\frac{19}{4000} / 5.09\%$	$+\frac{9}{16000} / 4.59\%$

IV. TYPICAL APPLICATION OF ELECTRIC FIELD CHARACTERISTICS

As is mentioned above, in a multimode microwave heating system, the electric field is sensitive to parameters such as microwave frequency, geometrical parameters, permittivity and so on. The information of the drastic-variation condition can help us in making better use of microwave energy.

A. System design

Usually, the price of a system component increases with its accuracy. Choosing the appropriate component

according to the requirements is both economical and effective for microwave heating. For example, magnetron, as the core part of the microwave oven, can be selected according to the critical conditions obtained. If for an ordinary microwave heating with low precision requirements, the magnetron with the frequency of $2450\text{MHz} \pm 50\text{MHz}$ is enough, there is no need to spend more money on the one with the accuracy of $\pm 10\text{MHz}$. On the contrary, if a system requires high precision, such as in microwave chemistry, the high performance of the magnetron and the fine technics of the system should be ensured. Moreover, the influence of the attached material on the dielectric properties of the heated sample must be small enough. Therefore, in such a case, acquiring the drastic-variation condition of electric field is both important and necessary.

B. Improving heating uniformity

The instability of electric field has many possible uses in microwave engineering and has been investigated as an important factor to improve the reliability of EMC test. Similarly, new methods to improve the heating uniformity can be developed on the basis of mastering the characteristics of electric field, especially its drastic-variation condition.

One way to improve the heating uniformity is to imitate the method used in EMC test. For example, mode stirrer and turntable rotation were used to improve the uniformity of microwave heating [1]. Here is an example of the direct use of the instability of electric field to improve heating uniformity. In the system shown in Fig. 4, assume the length of l_x has a shift range of $\pm 1\text{cm}$, which means the wall of the cavity containing l_z and l_y is moveable. In addition, we assume the wall can move back and forth with a speed of 0.5cm/s within a range of 2cm . Other parameters are assumed the same as those of the system shown in Table 1. As is demonstrated in [20], the variation of l_x we assumed is sufficient to cause large changes in the distribution of electric field in the system we designed. Therefore, the continuous movement of the wall will stimulate different standing waves with plenty of resonant modes. On account of the heating patterns associated with resonant modes begin to overlap, a time-averaged heating results and temperature rise in the heating object tends to be more uniform in the end. Since many heated objects contain large amounts of water, and the dielectric properties of which will vary with the temperature at different locations in the objects, it can be treated as the most common inhomogeneous load during the heating process. Hence, we calculate the temperature deviation of water due to small parameter changes.

Microwave heating is a process involves multiple physics, electromagnetic in the cavity and heated samples, as well as mass and heat transport [21]. The

basic equations describing the electromagnetic field distribution inside the microwave cavity is the Maxwell equation. After this equation being solved, the power dissipated inside the heated object can then be obtained by the following equation:

$$P_d = \frac{1}{2} \varepsilon_0 \omega \varepsilon''(\omega) |\mathbf{E}|^2, \quad (10)$$

where $\varepsilon''(\omega)$ is the imaginary part of the complex permittivity including the total loss. Finally, the temperature rise can be expressed as:

$$\rho C_p \frac{\partial T}{\partial t} - \nabla \cdot (k_t \nabla T) = P_d, \quad (11)$$

where ρ is density of the dielectric, C_p is the specific heat capacity, k_t is the thermal conductivity, and T is the real-time temperature.

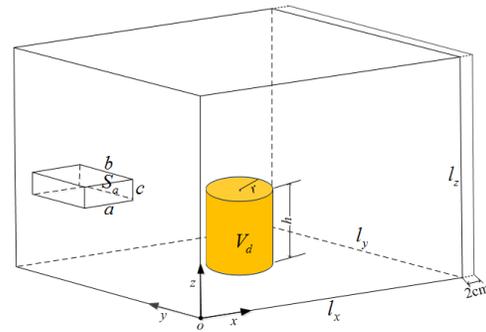


Fig. 4. Schematic of a moveable wall microwave heating.

Comsol Multiphysics software 5.3 is also used to perform the calculation of the temperature distribution of the dielectric object heated with the fixed wall cavity shown in Fig. 1 and the moveable wall cavity shown in Fig. 4. To solve the problem regarding the dynamics of the cavity wall we use this software's moving mesh function. In addition, we have assumed $\rho = 1000\text{kg/m}^3$, $C_p = 4180\text{J/(kg}\cdot\text{K)}$, and $k_t = 4180\text{W/(m}\cdot\text{K)}$, respectively. Besides, the temperature-dependent permittivity of water is specified as [22- 23]:

$$\varepsilon_s = \frac{3\varepsilon_\infty T + A(\varepsilon_\infty + 2)^2 + \sqrt{[3\varepsilon_\infty T + A(\varepsilon_\infty + 2)^2]^2 + 72\varepsilon_\infty^2 T^2}}{12T},$$

with

$$A = 1186.78 \exp\left(\frac{2.88 \times 10^{-21}}{kT}\right), \quad (12)$$

where ε_∞ is the infinite frequency relative permittivity and assumed $\varepsilon_\infty = 5.5$, k is the Boltzmann's constant. After 10s of microwave heating, their temperature distribution, coefficient of variation (COV) and temperature rise histories [5] of the central cross section are compared in Fig. 5 and Fig. 6, respectively.

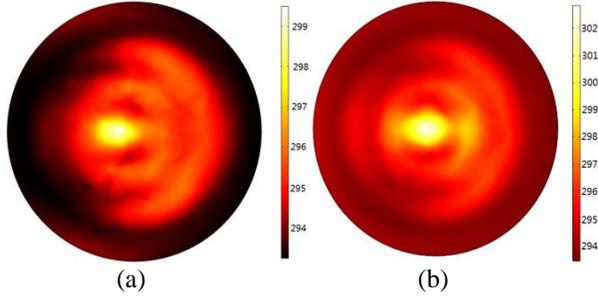


Fig. 5. The temperature distribution of central cross section after 10s of microwave heating with: (a) fixed wall and (b) moveable wall.

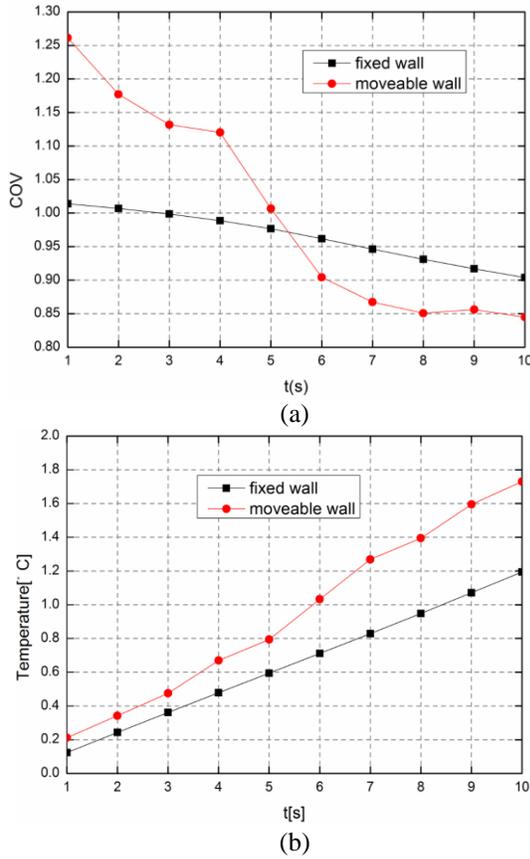


Fig. 6. Comparison of COV and temperature rise histories, with fixed wall and moveable wall: (a) COV, and (b) temperature rise histories.

The COV in Fig. 6 is defined as [5]:

$$COV = \frac{\sqrt{\sum_{i=1}^n (T_i - \bar{T})^2}}{\Delta \bar{T}}, \quad (13)$$

where n are points considered in the ample, $\Delta \bar{T} = \bar{T} - 20^\circ\text{C}$. It is well known that COV can effectively quantify the

heating uniformity, and the smaller the COV is, the more uniform the heating sample is. As can be seen in Fig. 5, the temperature distribution of the object inside the moveable wall cavity is much more uniform than that of the fixed one. Due to the fact that the heating uniformity is highly dependent on the stability of electric field, Fig. 6 (a) also demonstrates that with the movement of the cavity wall, although it forms a more chaotic distribution at first, the heating uniformity can be significantly improved in the end. Moreover, Fig. 6 (b) shows that the temperature rise in the case of moveable wall is much faster than that in the case of fixed wall. This example also proves that it is feasible to make use of the instability of electric field to improve heating uniformity.

V. CONCLUSIONS

In this paper, we proposed a numerical method to study on the drastic-variation condition of electric field in a multimode microwave heating system. This method combined with integral equation and spectrum analysis. The characteristic of electric field and its dependent parameters were discussed. For microwave heating, the electric field is usually unstable, and a tiny shift in microwave frequency, permittivity of dielectric object or cavity geometrical parameters will produce a drastic variation in electric field distribution. Moreover, the smallest shift of parameter that results in a drastic variation of electric field can be obtained by the reverse search of the critical value. To make some supplements for the interest regarding practical applications, two examples of the drastic-variation condition in making better use of microwave energy were given.

ACKNOWLEDGMENT

This work was supported by the National Natural Science Foundation (No. 61731013), the Key Scientific Research Program of the Education Department of Sichuan Province (No.17AZ0377), Science Foundation of the Sichuan Province (No.2018FZ0008), and the Meritocracy Research Funds of China West Normal University (No. 17YC053)

REFERENCES

- [1] M. Celuch, M. Soltysiak, and U. Erle, "Computer simulations of microwave heating with coupled electromagnetic, thermal, and kinetic phenomena," *Appl. Comput. Electrom.*, vol. 26, pp. 275-283, 2011.
- [2] K. Pitchai, J. Chen, S. Birla, et al., "Modeling microwave heating of frozen mashed potato in a domestic oven incorporating electromagnetic frequency spectrum," *J. Food Eng.*, vol. 173, pp. 124-131, 2016.
- [3] A. Tangy, I. N. Pulidindi, N. Perkas, et al., "Continuous flow through a microwave oven for the large-scale production of biodiesel from waste cooking oil," *Bioresour. Technol.*, vol. 224, pp. 333-341, 2017.

- [4] L. A. Campañone, J. A. Bava, and R. H. Mascheroni, "Modeling and process simulation of controlled microwave heating of foods by using of the resonance phenomenon," *Appl. Therm. Eng.*, vol. 73, pp. 914-923, 2014.
- [5] S. S. R. Geedipalli, V. Rakesh, and A. K. Datta, "Modeling the heating uniformity contributed by a rotating turntable in microwave ovens," *J. Food Eng.*, vol. 82, pp. 359-368, 2007.
- [6] M. Chandran, V. B. Naculaes, D. Brisco, S. Katz, J. Schoonover, and L. Cretegnny, "Experimental and numerical studies of microwave power redistribution during thermal runaway," *J. Appl. Phys.*, vol. 144, 204904, 2013.
- [7] D. A. Hill, "Electronic mode stirring for reverberation chambers," *IEEE Transactions on Electromagnetic Compatibility*, vol. 36, pp. 294-299, 1994.
- [8] R. Serra, A. C. Marvin, F. Moglie, et al., "Reverberation chambers à la carte: An overview of the different mode-stirring techniques," *IEEE Electromagnetic Compatibility Magazine*, vol. 6, pp. 63-78, 2016.
- [9] D. A. Hill, *Electromagnetic Fields in Cavities: Deterministic and Statistical Theories*. John Wiley & Sons, New York, 2009.
- [10] N. V. Budko and A. B. Samokhin, "Spectrum of the volume integral operator of electromagnetic scattering," *SIAM J. Sci. Comput.*, vol. 28, pp. 682-700, 2006.
- [11] N. V. Budko and A. B. Samokhin, "Classification of electromagnetic resonances in finite inhomogeneous three-dimensional structures," *Phys. Rev. Lett.*, vol. 96, pp. 023904, 2006.
- [12] F. Alessandri, M. Chiodetti, A. Giugliarelli, et al., "The electric-field integral-equation method for the analysis and design of a class of rectangular cavity filters loaded by dielectric and metallic cylindrical pucks," *IEEE Trans. Microw. Theory Tech.*, vol. 52, pp. 1790-1797, 2004.
- [13] C. T. Tai, *Dyadic Green Functions in Electromagnetic Theory*. Institute of Electrical & Electronics Engineers (IEEE), 1994.
- [14] C. T. Tai and P. Rozenfeld, "Different representations of dyadic Green's functions for a rectangular cavity," *IEEE Trans. Microw. Theory Tech.*, vol. 24, pp. 597-601, 1976.
- [15] Y. Rahmat-Samii, "On the question of computation of the dyadic Green's function at the source region in waveguides and cavities," *IEEE Trans. Microw. Theory Tech.*, pp. 762-765, 1975.
- [16] A. D. Yaghjian, "Electric dyadic Green's functions in the source region," *Proceedings of the IEEE*, vol. 68, pp. 248-263, 1980.
- [17] W. C. Chew, "Some observations on the spatial and eigen function representations of dyadic Green's functions," *IEEE Trans. Antenna. Propag.*, vol. 37, pp. 1322-1327, 1989.
- [18] C. A. Balanis, *Advanced Engineering Electromagnetics*. John Wiley & Sons, New Jersey, 2012.
- [19] Z. M. Tang, K. M. Huang, et al., "Study on stability of electric field in multimode microwave heating cavity," *Int. J. of App. Electrom.*, vol. 50, pp. 321-330, 2016.
- [20] Y. H. Liao, J. Lan, C. Zhang, T. Hong, Y. Yang, K. Huang, and H. C. Zhu, "A phase-shifting method for improving the heating uniformity of microwave processing materials," *Materials*, vol. 9, 2016.
- [21] J. H. Ye, T. Hong, Y. Wu, et al., "Model stirrer based on a multi-material turntable for microwave processing materials," *Materials*, vol. 10, 2017.
- [22] F. Torres and B. Jecko, "Complete FDTD analysis of microwave heating processes in frequency-dependent and temperature-dependent media," *IEEE Trans. Microw. Theory Tech.*, vol. 45, pp. 108-117, 1997.
- [23] K. M. Huang and Y. H. Liao, "Transient power loss density of electromagnetic pulse in debye media," *IEEE Trans. Microw. Theory Tech.*, vol. 63, pp. 135-140, 2015.



Zhengming Tang was born in Anyue, China, in 1981. He received his M.S. degree in Electrical Engineering from the Southwest Jiaotong University, and Ph.D. degree from Sichuan University, Chengdu, China, in 2012 and 2016, respectively. Currently, he is an Associate Professor of School of Electronic and Information Engineering of China West Normal University.

His research interests are in the areas of electromagnetic theory, microwave heating, and microwave chemistry.



San-mei Zhang was born in Guangan, China, in 1982. She received her M.S. degree from Chengdu University of Technology in 2008, in Communication and Information System. She is currently a Lecturer of Education and Information Technology Center of China West Normal University.

Her research interests include numerical computation in electromagnetics, network virtualization, and communication network technologies.



Tao Hong was born in Hechuan, China, in 1989. He received his B.Sc. degree from Sichuan University in 2011, in Electrical and Information Engineering. From 2011, he has been working his Ph.D. and he received the Ph.D. degree in 2016. He is currently a Lecturer of School of Electronics and Information Engineering of China West Normal University.

His special fields of interest include electromagnetics, microwave engineering and microwave chemistry.



Fangyuan Chen was born in Zhumadian, China. He received the Ph.D. degree from Sichuan University in 2016, in Radio Physics. From 2013 to 2015, he was a Visiting Fellow, supported by China Scholarship Council, at the Department of Biological and Environmental Engineering, Cornell University, USA. From 2016, he was employed by China Aerospace Science and Technology Corporation.

His research interests are in numerical computation applied in electromagnetics, microwave heating, and antenna design.



Kama Huang (M'01–A'01–SM'04) was born in Chongqing, China, in 1964. He received the M.S. and Ph.D. degrees in Microwave Theory and Technology from the University of Electronic Science and Technology, Chengdu, China, in 1988 and 1991. He has been a Professor in the Department of Radio and Electronics of Sichuan University, Sichuan, China, from 1994, and has been the Director of the department since 1997.

In 1996, 1997, 1999, and 2001, he was a Visiting Scientist at the Scientific Research Center “Vidhuk” in Ukraine, Institute of Biophysics CNR in Italy, Technical University Vienna in Austria, and Clemson University in the U.S., respectively. At these institutions, he cooperated with the scientists to study the interaction between electromagnetic fields and complex media in biological structure and reaction systems. He has published over 100 papers. His research interests are in the areas of microwave chemistry and electromagnetic theory.

Huang is the Chief Scientist of the National Basic Research Program of China (973 Program), and he has received several research awards from the Chinese government.