

## DISTRIBUTED COORDINATION PROTOCOLS TO REALIZE SCALABLE MULTIMEDIA STREAMING IN PEER-TO-PEER OVERLAY NETWORKS

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Multimedia contents are distributed to peers in various ways in peer-to-peer (P2P) overlay networks. A peer which holds a content, even a part of a content can provide other peers with the content. Multimedia streaming is more significant in multimedia applications than downloading ways in Internet applications. We discuss how to support peers with multimedia streaming service by using multiple contents peers. In our distributed multi-source streaming model, a collection of multiple contents peers in parallel transmit packets of a multimedia content to a requesting leaf peer to realize the reliability and scalability without any centralized controller. Even if some peer stops by fault and is degraded in performance and packets are lost and delayed in networks, a requesting leaf peer receives every data of a content at the required rate. We discuss a pair of flooding-based protocols, distributed and treebased coordination protocols DCoP and TCoP, to synchronize multiple contents peers to reliably and efficiently deliver packets to a requesting peer. A peer can be redundantly selected by multiple peers in DCoP but it taken by at most one peer in TCoP. We evaluate the coordination protocols DCoP and TCoP in terms of how long it takes and how many messages are transmitted to synchronize multiple contents peers.

*Key words:* Multimedia Streaming, Multi-source Streaming, Quality of Service, Peer-to-Peer (P2P) Network, Flooding-based Coordination

### 1 Introduction

Multimedia streaming applications [9, 12, 13] like music streaming and movie on demand are getting more significant than downloading service in the Internet applications [1]. Here, multimedia contents have to be reliably delivered to users from providers of the contents while real-time constraints are satisfied. In peer-to-peer (P2P) overlay networks [2,11,16], multimedia contents are in nature distributed to peers in various ways like downloading and caching. Peers which have multimedia contents can support other peers with the contents. For example, a peer downloads a free movie from some computer and then another peer can obtain the movie content from the peer. In addition, parts of movie contents are cached in peers. Peers supporting other peers with multimedia contents are referred to as contents peers in this paper. Peers which receive multimedia contents are referred to as leaf peers. The contents-leaf relation is relative, i.e. each peer can be not only a contents but also leaf peer.

New approaches to realizing multimedia streaming service in P2P overlay networks are discussed in multi-source streaming (MSS) models [5,8] where multiple contents peers send packets of a content to a leaf peer. A large number of leaf peers are required to be supported and even a low-performance personal computer can support a multimedia content. In one approach to synchronizing multiple contents peers in the MSS model, one contents peer is a controller and the other contents peers transmit packets of a content to a leaf peer according to the order of the controller peer [5,8]. Itaya *et al.* discuss a centralized coordination protocol [5] similar to the two-phase commitment (2PC) protocol [14]. It takes at least three rounds to synchronize multiple contents peers. Then, the contents peers can start transmitting packets of the content to a leaf peer. Liu and Voung [8] discuss a protocol where a requesting leaf peer sends a transmission schedule of a content to multiple contents peers. Each contents peer synchronously starts transmitting packets according to the schedule. Although it is simple to implement the MSS model in the centralized approach, it takes time to exchange messages to synchronize multiple contents peers and collect states of multiple contents peers.

In the asynchronous multi-source streaming (AMS) models [3–5], each of multiple contents peers asynchronously starts transmitting packets to a leaf peer and sends only a part of a multimedia content different from other contents peers. Here, every contents peer is, possibly periodically exchanging state information on which packets it has sent with all the other contents peers by using a simple type of group communication protocol [10]. The large communication overhead is implied since every contents peer sends state information to all the contents peers in the group communication. In this paper, we take a gossip-based flooding protocol [6, 7] to reduce the communication overhead. First, a leaf peer sends a content request to only some number of contents peers, not all the contents peers. Then, a selected contents peer starts transmitting packets to the leaf peer. The contents peer in turn selects some number of child contents peers and then sends a content request to the selected contents peers. Since each of multiple contents peers selects child contents peers independently of the other peers, a pair of peers may select the same contents peer. There are two algorithms; a child contents peer may be selected by multiple contents peers in one algorithm and is selected by at most one contents peer in the other. The former is a *distributed coordination protocol* (DCoP) and the latter is a *tree-based coordination protocol* (TCoP) in another algorithm. A content request carries information on which packets the parent contents peer has sent to a leaf peer at what rate. Each of the selected child contents peers makes a decision on which packets to be sent. In addition, parity packets for some number of packets are transmitted so that a leaf peer can receive every data in a content even if some number of packets are lost and contents peers are faulty.

In section 2, we discuss how to allocate packets of a multimedia content to contents peers in heterogeneous environment where each contents peer supports different transmission rate. In section 3, we discuss the coordination protocols, DCoP and TCoP. In section 4, we evaluate the coordination protocols DCoP and TCoP.

## **2 Multi-Source Streaming (MSS) Models**

Multimedia contents are distributed to peers in various ways like downloading and caching in a peer-to-peer (P2P) overlay network. For example, a peer obtains a free movie from an acquaintance peer by downloading and then supports some part of the movie to other peers. A *contents* peer which holds a multimedia content, even a part of the content can send the content to other peers. A peer receiving content from a contents peer is a *leaf* peer. Each peer can play any role of contents peer

and leaf peer. A contents peer may not support enough transmission rate due to the limited resource, degradation of quality of service (QoS), and faults in networks.

One contents peer transmits packets of a multimedia content to a leaf peer on request from the leaf peer. This is a traditional *single-source streaming* (SSS) model but the contents peer is a single point of failure and performance bottleneck. In order to support a large number of leaf peers, a contents peer is required to be realized in a high-performance, expensive server computer. A multi-source streaming (MSS) model [3–5] is proposed to realize the higher scalability and reliability of streaming service by using personal computers in a P2P overlay network. Here, a system is composed of multiple contents peers  $CP_1, \dots, CP_n (n \geq 1)$  supporting a multimedia content  $C$  and multiple leaf peers  $LP_1, \dots, LP_m (m \geq 1)$  which would like to use the multimedia content  $C$ , i.e. see the movie content. A pair of a contents peer  $CP_i$  and a leaf peer  $LP_s$  are interconnected in a logical communication channel  $CC_i$  supported by the underlying network. A packet is a unit of data transmission in the underlying network. A content is first decomposed into a sequence of packets. Multiple contents peers  $CP_1, \dots, CP_n$  in parallel transmit packets of a multimedia content to each leaf peer  $LP_s$  in the MSS model.

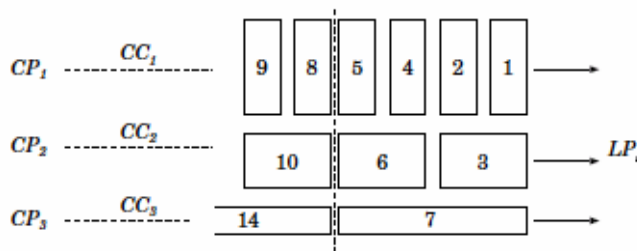


Figure 1 Multi-source streaming(MSS).

Each contents peer  $CP_i (i = 1, \dots, n)$  sends a part of a sequence  $pkt$  of packets  $\langle t_1, \dots, t_l \rangle (l \geq 1)$  of a multimedia content  $C$  to a leaf peer  $LP_s$ . Here,  $|pkt| = l$ . Suppose three contents peers  $CP_1$ ,  $CP_2$ , and  $CP_3$  transmit packets in a packet sequence  $pkt = \langle t_1, \dots, t_7, \dots \rangle C$  to a leaf peer  $LP_s$  where  $bw_1 : bw_2 : bw_3 = 4 : 2 : 1$ . Each contents peer  $CP_i$  transmits a subsequence  $pkt_i$  of the packet sequence  $pkt$  to the leaf peer  $LP_s$ .  $|pkt_i| \geq |pkt_j|$  if  $bw_i \geq bw_j$ . For example, the fastest contents peer  $CP_1$  transmits packets  $t_1, t_2, t_4$ , and  $t_5$  the second fastest  $CP_2$  transmits  $t_3$  and  $t_6$ , and the slowest  $CP_3$  transmits  $t_7$  to  $LP_s$  for one time unit, i.e.  $pkt_1 = \langle t_1, t_2, t_4, t_5, \dots \rangle$ ,  $pkt_2 = \langle t_3, t_6, \dots \rangle$ , and  $pkt_3 = \langle t_7, \dots \rangle$  as shown in Figure 1.  $|pkt_1| : |pkt_2| : |pkt_3| = 4 : 2 : 1$ . A union  $pkt_1 \cup pkt_2$  is a packet sequence including every packet in a pair of sequences  $pkt_1$  and  $pkt_2$ . For example,  $pkt_1 \cup pkt_2 \cup pkt_3 = \langle t_1, t_2, t_3, t_4, t_5, t_6, t_7, \dots \rangle$ . An intersection  $pkt_1 \cap pkt_2$  is a sequence of packets which are included in both  $pkt_1$  and  $pkt_2$ . Let  $pkt \langle t_i \rangle$  and  $pkt[t_i]$  show a prefix  $\langle t_1, \dots, t_i \rangle$  and postfix  $\langle t_i, t_{i+1}, \dots, t_l \rangle$  of a packet sequence  $pkt = \langle t_1, \dots, t_l \rangle$ , respectively.

Data transmission in a communication channel  $CC_i$  is modelled to be a sequence of time slots  $CL_i^1, CL_i^2, \dots, CL_i^{c_i} (c_i \geq 1)$  where the  $k$ th packet  $t_i^k$  in a subsequence  $pkt_i = \langle t_i^1, t_i^2, \dots, t_i^{c_i} \rangle$  can be transmitted in the  $k$ th time slot  $CL_i^k$  where  $c_i = |pkt_i|$ . Let  $\tau_i$  be the length of a time slot, which shows time for transmitting a packet in  $CC_i$ .  $bw_1 : bw_2 : bw_3 = \tau_1 : \tau_2 : \tau_3 = 4 : 2 : 1$ . Figure 2 shows time slots of the communication channels  $CC_1$ ,  $CC_2$ , and  $CC_3$ .  $st(CL_i^k)$  and  $et(CL_i^k)$  show when a contents peer  $CP_i$  starts and finishes transmitting the  $k$ th packet  $t_i^k$  in the packet sequence  $pkt_i$ , respectively.  $st(CL_i^0)$  is 0 and  $et(CL_i^k) = st(CL_i^k) + \tau_i = st(CL_i^{k+1})$  for every  $CC_i$ . Here,  $CL_i^k$

precedes  $CL_j^h$  ( $CL_i^k \rightarrow CL_j^h$ ) if  $et(CL_i^k) < et(CL_j^h)$ . Let  $\mathbf{CL}$  be a set of all the time slots in  $CC_1, \dots, CC_n$ . Time slots in  $\mathbf{CL}$  are partially ordered in  $\rightarrow$ . A time slot  $CL$  is *initial* iff (if and only if) there is no time slot  $CL'$  such that  $CL' \rightarrow CL$  in  $\mathbf{CL}$ . For example,  $CL_1^1 \rightarrow CL_2^1$  and  $CL_1^1 \rightarrow CL_3^1$  in Figure 2.

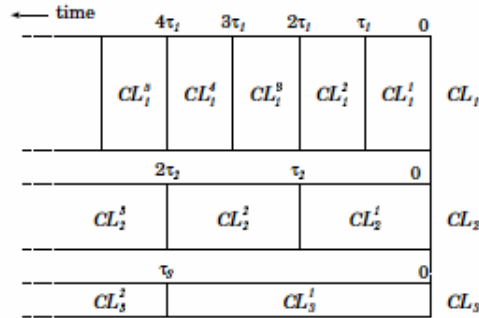


Fig. 2. Time slots.

Packets are allocated to time slots as follows:

**[Allocation of packets]** For each packet  $t_k$  in a packet sequence  $pkt$  of a content ( $k = 1, \dots, l$ ),

1. Find an initial time slot  $CL$  such that  $st(CL) \geq st(CL')$  for every initial time slot  $CL'$  in the time slot set  $\mathbf{CL}$ .
2. Allocate the packet  $t_k$  with the time slot  $CL$  and remove  $CL$  from  $\mathbf{CL}$ .

From the precedent relations of time slots shown in Figure 2, packets are allocated to time slots as shown in Figure 1. A leaf peer  $LP_s$  can deliver a packet  $t_h$  without waiting for any packet of  $t_1 \dots, t_{h-1}$  since the packets  $t_1, \dots, t_{h-1}$  preceding packet  $t_h$  are surely delivered on receipt of the packet  $t_h$ . The allocation algorithm satisfies the following property.

**[Packet allocation property]** On receipt of a packet  $t_h$ , a leaf peer  $LP_s$  receives every packet  $t_k$  preceding  $t_h$  in a packet sequence  $pkt = \langle t_1 \dots, t_l \rangle$ .

### 3. Distributed Coordination Protocols

#### 3.1. Types of distributed coordination protocols

Multiple contents peers  $CP_1, \dots, CP_n$  are required to cooperate to reliably deliver packets of a multimedia content  $C$  to a leaf peer  $LP_s$ . We take a distributed approach [3, 4] where each contents peer  $CP_i$  independently starts transmitting packets on receipt of a content request from  $LP_s$ . Here, we assume each contents peer  $CP_i$  supports the same transmission rate to  $LP_s$  for simplicity. Let  $pkt$  be a sequence of packets  $t_1, \dots, t_l$  of a content  $C$ . While transmitting packets to  $LP_s$ ,  $CP_i$  informs the other contents peers of which packets  $CP_i$  has sent at what rate and the view showing which contents peer  $CP_i$  perceives to be active.

In the first broadcast way [5], a leaf peer  $LP_s$  broadcasts a content request of a multimedia content  $C$  to all the contents peers  $CP_1, \dots, CP_n$  [Figure 3 a)]. On receipt of the request, every contents peer  $CP_i$  starts transmitting packets in the packet sequence  $pkt$  of the multimedia content  $C$  to the leaf peer  $LP_s$ . Here, the leaf peer  $LP_s$  receives the most redundantly each packet from every contents peer. While transmitting packets to  $LP_s$ , each  $CP_i$  exchanges control packets with the other contents peers in a simple type of group communication protocol. Control packets carrying service

information on the contents peer  $CP_i$ , i.e. which packets  $CP_i$  has most recently sent, view showing which contents peers are perceived to be active, and bandwidth to  $LP_s$ . On receipt of a control packet, each  $CP_i$  changes the transmission schedule on which packets to be sent at what transmission rate. It takes one round for every contents peer to start transmitting packets to a leaf peer  $LP_s$ . However,  $LP_s$  may lose packets due to the buffer overrun. In addition, each contents peer  $CP_i$  sends a control packet with the service information to every contents peer. This way implies large overhead for communication among contents peers.

In the second unicast way, a leaf peer  $LP_s$  sends a content request of a multimedia content  $C$  to only one contents peer, say  $CP_1$  as shown in Figure 3 b). Then, the contents peer  $CP_1$  starts transmitting packets to the leaf peer  $LP_s$ . The contents peer  $CP_1$  sends a control packet to another contents peer, say  $CP_2$  to inform what packet  $CP_1$  has sent while transmitting protocols to the leaf peer  $LP_s$ . On receipt of the control packet, the contents peer  $CP_2$  starts transmitting packets to  $LP_s$  and sends a control packet to  $CP_3$ . Finally, a contents peer  $CP_n$  starts transmitting packets to the leaf peer  $LP_s$ . Here, every contents peer is transmitting packets of the multimedia content  $C$ . This implies the minimum redundancy but it takes the longest time all the contents peers to synchronize.

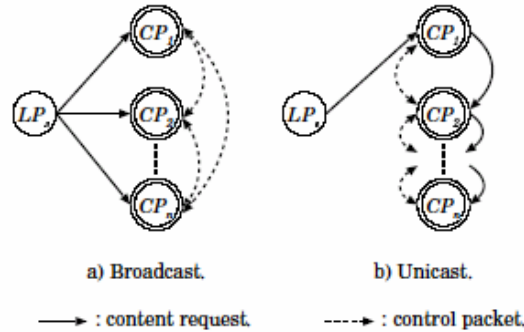


Fig. 3. Coordination.

We propose a flooding-based approach similar to the gossip protocols [6, 7]. A leaf peer  $LP_s$  first sends a content request to only some number  $H (\leq n)$  of the contents peers as shown in Figure 4. On receipt of a content request from the leaf peer  $LP_s$ , a contents peer  $CP_i$  starts transmitting packets at rate  $\tau$ , where  $\tau$  shows the transmission rate of a multimedia content, e.g. 30 Mbps for video streaming. That is, the leaf peer  $LP_s$  has to receive every packet of the content at rate  $(\leq \tau)$ . A contents peer  $CP_i$  is *active* iff  $CP_i$  is sending content packets to the leaf peer  $LP_s$ . Otherwise,  $CP_i$  is *dormant*. Here, let  $pkt_i$  be a subsequence  $pkt_{i_s}$  of packets of a content which a contents peer  $CP_i$  sends to the leaf peer  $LP_s$ . We assume that every contents peer can transmit packets at the same rate for simplicity in this paper. First, suppose every contents peer  $CP_i$  selected by the leaf peer  $LP_s$  sends the same packets to the leaf peer  $LP_s$ , i.e.  $pkt_i = pkt$ . Since each of the selected contents peers sends every packet in the sequence  $pkt$  to  $LP_s$  at the content rate  $\tau$ , the packets arrive at the leaf peer  $LP_s$  at rate  $H\tau$ . Let  $\rho_s$  be the maximum receipt rate of the leaf peer  $LP_s$ . If  $H\tau \leq \rho_s$ , the leaf peer  $LP_s$  receives every packet sent by the number  $H$  of contents peers. The leaf peer  $LP_s$  can surely receive every packet of the sequence  $pkt$  even if some contents peers are faulty and packets are lost and delayed in some channel with  $LP_s$ . Otherwise,  $LP_s$  loses packets due to the buffer overrun.

3.2. Reliable transmission

If each contents peer sends packets different from others, a leaf peer  $LP_s$  cannot receive every data of content even if packets are lost or contents peers are faulty. On the other hand, if every contents peer sends the same sequence of packets, the leaf peer  $LP_s$  receives every data in presence of packet loss and faults of contents peers but  $LP_s$  overruns buffer. In order to reduce the communication overhead and increase the reliability, packets are transmitted as follows:

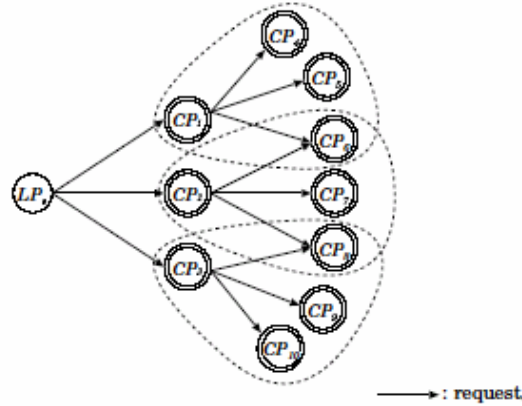


Fig. 4. Flooding-based coordination.

Every contents peer does not send every packet in a packet sequence  $pkt$  of a content to a leaf peer  $LP_s$ , i.e.  $pkt_i \cap pkt_j = \phi$  for every pair of contents peer  $CP_i$  and  $CP_j$ .

Parity packets are transmitted so that data of every packet in each subsequence  $pkt_i$  can be obtained from packets of other subsequences. For example, one parity packet  $t_{\langle 1, 2 \rangle}$  is created for a pair of contingent packets  $t_1$  and  $t_2$  as shown in Figure 5. Here, even if either  $t_1$  or  $t_2$  is lost, data in the lost packet can be recovered from the other packet and the parity packet  $t_{\langle 1, 2 \rangle}$  [15]. Formally speaking, a packet sequence  $pkt = \langle t_1, t_2, \dots, t_i \rangle$  is separated to subsequences  $s_1 = \langle t_1, \dots, t_h \rangle$ ,  $s_2 = \langle t_{h+1}, \dots, t_{2h} \rangle, \dots$  for  $h \geq 1$ . Each subsequence  $s_i$  is a *recovery segment* and  $h$  is *parity interval*. For the  $(d + 1)$ -th recovery segment  $s_{d+1} = \langle t_{1+dh}, t_{2+dh}, \dots, t_{(d+1)h} \rangle$  ( $d \geq 0$ ), one parity packet  $p_d = t_{\langle 1+dh, (d+1)h \rangle}$  is created by taking the exclusive or (XOR) of data in the packets  $t_{1+dh}, \dots, t_{(d+1)h}$ . The parity packet  $p_d$  is inserted in the recovery segment  $s_{d+1}$  for  $j = d \bmod (h + 1)$  as follows;

- $\langle p_d, t_{1+dh}, \dots, t_{(d+1)h} \rangle$  for  $j = 0$ .
- $\langle \dots, t_{dh+j}, p_d, t_{dh+j+1}, \dots \rangle$  for  $1 \leq j \leq h - 1$ .
- $\langle t_{1+dh}, \dots, t_{(d+1)h}, p_d \rangle$  for  $j = h$ .

Let  $[pkt]^h$  show an *enhanced* packet sequence obtained by inserting parity packets to a sequence  $pkt$  for parity interval  $h (\geq 1)$ . Here,  $|[pkt]^h| = |pkt| (h + 1) / h$ . For example, an enhanced packet sequence  $[pkt]^2 = [\langle t_1, t_2, t_3, t_4, t_5, t_6, \dots \rangle]^2 = \langle t_{\langle 1, 2 \rangle}, t_1, t_2, t_3, t_{\langle 3, 4 \rangle}, t_4, t_5, t_6, t_{\langle 5, 6 \rangle}, \dots \rangle$  is created for a sequence  $pkt = \langle t_1, t_2, t_3, t_4, t_5, t_6, \dots \rangle$  and parity interval  $h = 2$  as shown in Figure 5 b). Even if one packet in a recovery segment  $s_{d+1} = \langle t_{1+dh}, \dots, t_{(d+1)h} \rangle$  with a parity packet  $p_d$  is lost, data in the

lost packet can be recovered from the other packets. An enhanced sequence  $[pkt]^h$  is divided into  $H$  subsequences  $pkts_1, \dots, pkts_H (s_u \in \{1, \dots, n\} \text{ and } 1 \leq u \leq H)$  as follows:

For the  $j$ th packet  $t$  in an enhanced subsequence  $[pkt]^h$ , the packet  $t$  is allocated to a subsequence  $pkts_i$  where  $i = j \bmod H + 1$ .

For example, the enhanced sequence  $[pkt]^2 = \langle t_{\langle 1, 2 \rangle}, t_1, t_2, t_3, t_{\langle 3, 4 \rangle}, t_4, \dots \rangle$  is divided into three subsequences  $[pkt]_1^2 = \langle t_{\langle 1, 2 \rangle}, t_3, t_5, \dots \rangle$ ,  $[pkt]_2^2 = \langle t_1, t_{\langle 3, 4 \rangle}, t_6, \dots \rangle$ , and  $[pkt]_3^2 = \langle t_2, t_4, t_{\langle 5, 6 \rangle}, \dots \rangle$  as shown in Figure 5 b). Since the number  $H$  of contents peers  $CP_{s1}, \dots, CP_{sH} (CP_{si} \in \{CP_1, \dots, CP_n\})$  transmit packets to the leaf peer  $LP_s$ , each  $CP_{si}$  sends packets in a subsequence  $[pkt]_{s_i}^h$  at rate  $\tau (h + 1) / (hH)$ . The leaf peer  $LP_s$  receives packets at rate  $\tau (h + 1) / h$ . Here, even if  $(H - h)$  contents peers are faulty,  $LP_s$  can receive every data of a content from the other  $h$  operational contents peers. In addition, even if packets are lost with  $(H - h)$  channels in a burst manner,  $LP_s$  can receive every data of a multimedia content. For  $h = H - 1$ , each  $CP_{s_i}$  sends packets at rate  $\tau / (H - 1)$  and the receipt rate of the leaf peer  $LP_s$  is  $\tau H / (H - 1)$ .

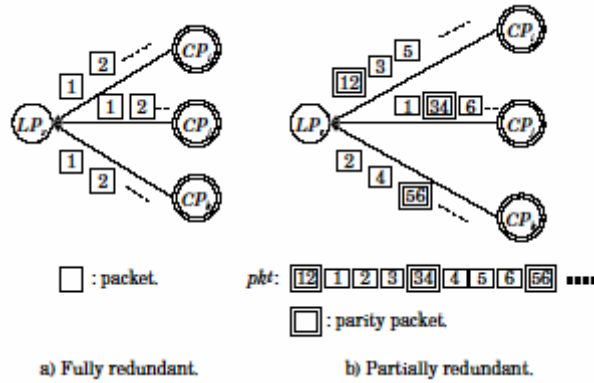


Fig. 5. Packet sequence with parity packets.

### 3.3. Selection of contents peers

Each active contents peer  $CP_j$  randomly selects  $H (\leq n)$  other contents peers out of  $(n - 1)$  contents peers except for the contents peer  $CP_j$  while transmitting packets to a leaf peer  $LP_s$  on receipt of a content request from another peer. The contents peer  $CP_j$  and the selected contents peers send packets in a subsequence  $pkt_j$  to a leaf peer, i.e. totally  $H$  contents peers send packets. Here, a contents peer may be selected by multiple contents peers. If a contents peer selected by the contents peer  $CP_j$  is taken by another contents peer,  $CP_j$  may not take  $H$  contents peers since some of the  $H$  contents peers may be taken by another contents peer. Hence, the contents peer  $CP_j$  may obtain only  $H_j (\leq H)$  contents peers. One is a *redundant* approach where one child contents peer may be selected by multiple parents as shown in Figure 4. The other is a *non-redundant* approach where each child contents peer can be selected by at most one parent. We discuss how to select contents peers later. Suppose a contents peer  $CP_i$  is selected by  $CP_j$ . Here,  $CP_j$  and  $CP_i$  are referred to as *parent* and *child* contents peers, respectively. The parent  $CP_j$  sends a control packet  $c$  to each child contents peer  $CP_i$  to make  $CP_i$  start transmitting packets to a leaf peer  $LP_s$ . Here, the control packet  $c$  carries the view  $VW_j$ , the sequence number  $SEQ_j$  of a packet which the parent  $CP_j$  has most recently sent to  $LP_s$ , the transmission rate  $\tau_j$ , and the number  $H_j$  of child contents peers. On receipt of a control packet  $c$  from a parent contents peer  $CP_j$ , a child contents peer  $CP_i$  knows by what transmission schedule the

parent  $CP_j$  is transmitting packets. Based on the information on the parent  $CP_j$ , the child  $CP_i$  makes the transmission schedule and starts transmitting packets to the leaf peer  $LP_s$  according to the transmission schedule. Each child contents peer  $CP_i$  transmits a subsequence of the packet subsequence  $pkt_j$  of the parent  $CP_j$ .

We have to discuss which packets each child contents peer  $CP_i$  starts transmitting on receipt of a control packet  $c$  from a parent contents peer  $CP_j$ . Suppose a parent  $CP_j$  is sending packets in a packet subsequence  $pkt_j$ . As discussed before,  $CP_j$  creates an enhanced sequence  $[pkt_j]^{h_j}$  from the sequence  $pkt_j$  for parity interval  $h_j$ . Each child  $CP_i$  is assigned with a subsequence  $pkt_{ji}$  obtained by dividing the enhanced subsequence  $[pkt_j]^{h_j}$  to the number  $H_j$  of child contents peers. The parent contents peer  $CP_j$  informs a child  $CP_i$  that the  $CP_j$  had most recently sent a packet  $t$  at the transmission rate  $\tau_j$  when  $CP_j$  sent the control packet  $c$  to the child  $CP_i$ . On receipt of the control packet  $c$  from the parent  $CP_j$ , the child  $CP_i$  perceives that  $CP_j$  sent the packet  $t$  to the leaf peer  $LP_s$   $\delta$  time units before [Figure 6]. The parent contents peer  $CP_j$  has sent the number  $\delta / \tau_j$  of packets for  $\delta$  time units since  $CP_j$  sent the packet  $t$  until the child  $CP_i$  receives the control packet  $c$ . The child contents peer  $CP_i$  marks the  $(\delta / \tau_j)$ -th packet  $m_j$  following the packet  $t$  in a subsequence  $pkt_j$ . Here,  $m_j$  is referred to as *marked* for the packet  $t$ . The child  $CP_i$  is required to send packets following the marked packet  $m_j$ . From the postfix  $pkt_j [t>$  of the subsequence  $pkt_j$  for the packet  $t$ , the child  $CP_i$  constructs a subsequence  $pkt_{ji}$  of packets by inserting parity packets for the number  $H_j$  of the child contents peers of the parent  $CP_j$  and parity instance  $h_j$ . The child  $CP_i$  sends packets in  $pkt_{ji}$  to  $LP_s$ . The parent  $CP_j$  also changes the packet subsequence to  $pkt_{ji}$  and the rate to  $\tau_j / (H_j + 1)$  on  $\delta$  time units after  $CP_j$  sends to control packet as the child contents peer. Hence, the parent  $CP_j$  and  $H_j$  child contents peers transmit packets according to the transmission schedule, i.e. totally  $H_j + 1$  ( $\leq H$ ) contents peers.

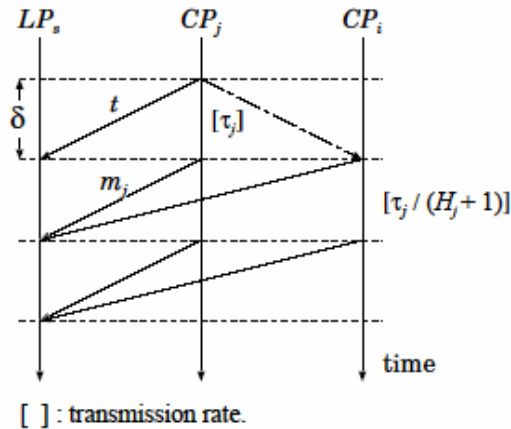


Fig. 6. Transmission.

Since a parent contents peer  $CP_j$  randomly selects child contents peers, a child peer  $CP_i$  may be selected by multiple parents, say  $CP_j$  and  $CP_k$  as a child. One way is that the parent contents peer  $CP_i$  takes both the contents peers  $CP_j$  and  $CP_k$  as the parents. The parent peer  $CP_i$  creates subsequences  $pkt_{ji}$  from  $pkt_j$  of the child contents peer  $CP_j$  and  $pkt_{ki}$  from  $pkt_k$  of the child  $CP_k$  as presented here. Then, the subsequences  $pkt_{ji}$  and  $pkt_{ki}$  are merged into a subsequence  $pkt_{\langle jk \rangle} = pkt_{ji} \cup pkt_{ki}$ . The parent contents peer  $CP_i$  sends packets in the subsequence  $pkt_{\langle jk \rangle}$  to the leaf peer  $LP_s$ . On  $CP_j$ 's selecting  $CP_i$  as a child, the child  $CP_i$  might have been taken already as a child of another parent and



been sending packets in a subsequence  $pkt_i$  to  $LP_s$ . On receipt of a content request from a parent contents peer  $CP_j$ , a pair of the subsequences  $pkt_i$  and  $pkt_{ji}$  are merged to  $pkt_i = pkt_i \cup pkt_{ji}$ . Here, a parent  $CP_j$  surely takes the number  $H$  of child contents peers while some of the children may have multiple parents. That is,  $H_j = H$ . Question is when each contents peer  $CP_i$  can stop selecting child contents peers. A control packet  $c$  sent by a parent  $CP_j$  carries the view  $VW_j$ . On receipt of the control packet  $c$ ,  $VW_i$  is updated to be  $VW_i \cup c.VW (= VW_j)$ . Here, if  $|VW_i| = n$ , the parent  $CP_i$  does not send a control packet to selected child contents peers. An enhanced subsequence  $pkt_{ji}$  ( $= [pkt_{ji}]_i^H$ ) is obtained by adding parity packets to  $pkt_{ji}$ , i.e. obtaining an enhanced sequence  $[pkt_{ji}]^H$  and dividing  $[pkt_{ji}]^H$  to  $H$  subsequences, i.e.  $[pkt_{ji}]_i^H$  to  $CP_i$ .

### 3.4. Redundant coordination protocol

We discuss the *distributed coordination protocol* (DCoP) where a child contents peer may be selected by multiple parents. Let  $\mathbf{CP}$  be a set of contents peers  $CP_1, \dots, CP_n$ . We introduce the following procedures to present the coordination protocol. A function **Select**( $\mathbf{CP}, CP_i, m$ ) gives a set of at most  $m$  different child contents peers for a parent contents peer  $CP_i$ , which are selected in a set  $\mathbf{CP}\{CP_k \mid CP_k \in VW_i\}$ . If  $VW_i = \langle 1, \dots, 1 \rangle$ ,  $\phi$  is returned. **Esq**( $pkt, h$ ) gives an enhanced subsequence  $[pkt]^h$  obtained by inserting parity packets to a sequence  $pkt$  for parity interval  $h$ . **Div**( $pkt, H, CP_i$ ) outputs a subsequence  $pkt_i$  which is obtained by dividing a sequence  $pkt$  into  $H$  subsequences and assigning one of them to a contents peer  $CP_i$ . **Mark**( $CP_i, pkt, t, \delta, \tau$ ) shows a marked packet  $m$  in  $pkt$  which is to be sent by a content peer  $CP_i$  on  $\delta$  time units after the contents peer  $CP_i$  sent a packet  $t$  in  $pkt$  where  $\tau$  is the transmission rate of  $CP_i$ . **Psend**( $CP_i, pkt, \tau, LP_s$ ) means that a content peer  $CP_i$  sends packets in a sequence  $pkt$  to a leaf peer  $LP_s$  at rate  $\tau$ . **Csend**( $CP_i, c, CP_j$ ) shows that a contents peer  $CP_i$  sends a control packet  $c$  to  $CP_j$ . **Current**( $CP_i$ ) shows a packet which  $CP_i$  has most recently sent. We show the protocol DCoP for the number  $H$ , parity interval  $h$ , leaf peer  $LP_s$ , and content rate  $\tau$  as follows:

**[DCoP**( $\mathbf{CP}, LP_s, H, h, n, \tau$ )

1. First, a leaf peer  $LP_s$  selects  $H (\leq n)$  contents peers in  $\mathbf{CP}$  and sends a content request  $c$  of a multimedia content  $C$  to the selected contents peers;
  - $\mathbf{C} := \mathbf{Select}(\mathbf{CP}, \phi, H)$ ;
  - $c.\tau := \tau$ ; **Csend**( $LP_s, c, CP_k$ );
2. On receipt of a content request  $c_l$  from the leaf peer  $LP_s$ , a contents peer  $CP_i$  does the following actions:
  - creates an enhanced sequence  $[pkt]^h$  from a packet sequence  $pkt$  and then obtains a subsequence  $pkt_i$  from  $[pkt]^h$ ;
  - $pkt_i := \mathbf{Div}(\mathbf{Esq}(pkt, h), H, CP_i)$ ;
  - starts transmitting packets in  $pkt_i$  to the leaf peer  $LP_s$  at transmission rate  $\tau_i$ ;
  - $\tau_i := c_l.\tau (h + 1) / (hH)$ ;
  - Psend**( $CP_i, pkt, \tau_i, LP_s$ );
  - selects  $(H - 1)$  contents peers from the set  $\mathbf{CP}$ ;
  - $\mathbf{C} := \mathbf{Select}(\mathbf{CP}, CP_i, H)$ ;
  - sends a control packet  $c$  to the selected contents peers;
  - For every  $CP_k$ ,  $VW_{ik} := 1$  if  $CP_k \in \mathbf{C}$ , otherwise  $VW_{ik} := 0$ ;
  - $c_l.VW := VW_i$ ;  $c_l.\tau := \tau_i$ ;
  - $t := \mathbf{Current}(CP_i)$ ;  $c_l.SEQ := t.SEQ$ ;
  - Csend**( $CP_i, c_l, CP_k$ ) for every  $CP_k \in \mathbf{C}$ ;
  - After it takes  $\delta$  time units,  $CP_i$  does the actions of step 3.

3. On receipt of a control packet  $c_l$  from a parent contents peer  $CP_j$ , a contents peer  $CP_i$  does the following actions:
  - $VW_i := VW_i \cup c.VW$ ;
  - creates an enhanced subsequence  $epkt_{ji} = [pkt_j[m_j]]^h$  from a postfix  $pkt_j[m_j]$  of where  $m_j$  is a marked packet for a packet  $t$ , where  $t.SEQ = c_l.SEQ$ ;  
 $m_j := \mathbf{Mark}(CP_j, pkt_j, t, \delta, \tau_j)$ ;  
 $epkt_{ji} := \mathbf{Esq}(pkt_j[m_j], h)$ ;
  - transmits packets in an enhanced subsequence  $pkt_{ji}$  from  $epkt_{ji}$  to the leaf peer  $LP_s$ ;  
 $pkt_{ji} := \mathbf{Div}(epkt_{ji}, H+1, CP_i)$ ;  $\tau_i := c_l.\tau(h+1)/(h(H+1))$ ;  
 $\mathbf{Psend}(CP_i, pkt_{ji}, \tau_i, LP_s)$ ;
  - if  $|VW_i| < n$ , selects  $H$  contents peers and then sends a control packet  $c$  to the selected contents peers;  
 $\mathbf{C} := \mathbf{Select}(\mathbf{CP}, CP_j, H)$ ;  
 if  $\mathbf{C} = \emptyset$ ,  $CP_i$  stops selecting child peers.  
 $VW_{ik} := 1$  if  $CP_k \in \mathbf{C}$ ;  $c_l.VW := VW_i$ ;  
 $t := \mathbf{Current}(CP_i)$ ;  $c_l.SEQ := t.SEQ$ ;  $c_l.\tau := \tau_i$ ;  
 $\mathbf{Csend}(CP_i, c_l, CP_k)$  for every  $CP_k \in \mathbf{C}$ ;

### 3.5. Non-Redundant coordination protocol

In another *tree-based coordination protocol* (TCoP), each contents peer  $CP_i$  takes either one of contents peers  $CP_j$  and  $CP_k$  as the parent if both the contents peers  $CP_j$  and  $CP_k$  select the contents peer  $CP_i$  as a child. For example, a contents peer  $CP_i$  takes a child contents peer  $CP_j$  since the contents peer  $CP_i$  receives a control packet from the parent  $CP_j$  before another parent  $CP_k$ . Hence, the parent contents peer  $CP_j$  has to know which child contents peer selected can be a child of the parent  $CP_j$ .  $\mathbf{Aselect}(\mathbf{CP}, CP_i, H)$  selects  $H$  different contents peers in  $\mathbf{CP} - \{CP_i\} - \{CP_k \mid VW_{ik} = ON\}$ , i.e. selects contents peers in  $\mathbf{CP}$  excluding the parent  $CP_i$  and contents peers which  $CP_i$  knows to have been selected. Here,  $|\mathbf{Aselect}(\mathbf{CP}, CP_i, H)| \leq H$ .  $\mathbf{Aselect}(\mathbf{C}, CP_i)$  collects a contents peer which sends the positive acknowledgment in  $\mathbf{C}$ . The following TCoP procedure [Figure 7] is taken:

**[TCoP( $\mathbf{CP}, LP_s, H, n, \tau$ )]**

1. First, a leaf peer  $LP_s$  selects  $H (\leq n)$  contents peers and sends a content request  $c$  of a multimedia content  $C$  to the selected contents peers as DCoP where  $c.\tau = \tau$ .
2. Each selected peer  $CP_j$  randomly selects  $H$  contents peers and sends a control packet  $c_l$  to the selected contents peers while sending packets in a subsequence  $pkt_j$  to the leaf peer  $LP_s$ ;  
 $pkt_j := \mathbf{Div}(\mathbf{Esq}(pkt, t), H+1, CP_i)$ ;  $\tau_i := c_l.\tau(h+1)/(h(H+1))$ ;  
 $\mathbf{Psend}(CP_j, pkt, \tau_i, LP_s)$ ;  
 $\mathbf{C} := \mathbf{Aselect}(\mathbf{CP}, CP_j, H)$ ;  
 $t := \mathbf{Current}(CP_i)$ ;  $c_l.SEQ := t.SEQ$ ;  
 $c_l.VW_{ii} := 1$ ,  $c_l.VW_{ik} := 1$  if  $CP_k \in \mathbf{C}$ ;  $c_l.\tau := \tau_i$ ;  
 $\mathbf{Csend}(CP_j, c_l, CP_k)$  for every  $CP_k$  in  $\mathbf{C}$ ;
3. On receipt of the control packet  $c_l$  from  $CP_j$ , a contents peer  $CP_i$  sends a confirmation  $cc_1$  to  $CP_j$  if  $CP_i$  takes  $CP_j$  as the parent.  
 $\mathbf{Csend}(CP_i, cc_1, CP_k)$ ;
4. The parent  $CP_j$  collects the confirmations from the selected contents peers. Then,  $CP_j$  sends

a control packet  $c_2$  to each of the confirmed contents peers.

$\mathbf{H}_j := \mathbf{Areceive}(\mathbf{C}, CP_j);$

$c_2.VW := VW_j;$

$t := \mathbf{Current}(CP_j); c_2.SEQ := t.SEQ;$

$c_2.\tau := \tau_j; c_2.n := |\mathbf{H}_j|;$

5. On receipt of  $c_2$  from the parent  $CP_j$ , a contents peer  $CP_i$  decomposes the subsequence  $pkt_j[t$  to a subsequence  $pkt_{ji};$

$t := (\delta / \tau_j)$  -th packet from  $c_2.SEQ$  in  $pkt_j;$

$m_j := \mathbf{Mark}(CP_i, pkt_j, t, \delta, \tau_j)$  for a packet  $t$  such that  $t.SEQ = c_2.SEQ;$

$pkt_{ji} := \mathbf{Esq}(pkt_j(m_{ji}, c_2.n >); \tau_i := \tau_j / c_2.n);$

$\mathbf{Psend}(CP_j, pkt_{ji}, \tau_i, LP_s);$

6. The parent  $CP_j$  also makes a subsequence  $pkt_{ij}$  as presented in  $CP_i$ . On  $\delta$  time units after sending the control packet  $c_2$ ,  $CP_j$  sends packets in  $pkt_{ij}$  at rate  $\tau_j / c_2.n$ .

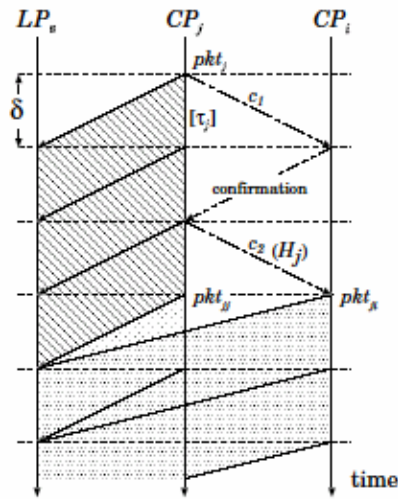


Fig. 7. Transmission.

If a contents peer  $CP_j$  could find no child,  $CP_j$  stops selecting child contents peers. Here, a set of contents peers are structured in a tree whose root is a leaf peer  $LP_s$ . A tree of Figure 8 is obtained from Figure 4. Compared with DCoP, we can remove the redundancy but it takes three rounds for each selection of child contents peers.

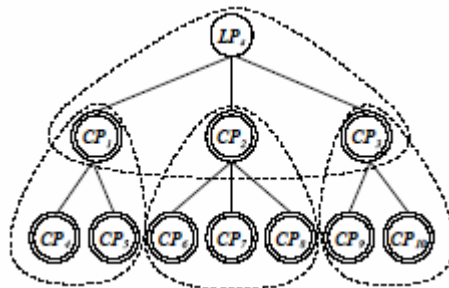


Fig. 8. Transmission tree in TCoP.

### 3.6. Examples

First, a leaf peer  $LP_s$  sends a control packet to three child contents peers randomly selected, say  $CP_1$ ,  $CP_2$ , and  $CP_3$  of a multimedia content  $C$ . Let  $pkt$  be a packet sequence  $\langle t_1, t_2, \dots \rangle$ . Each contents peer  $CP_i$  ( $i = 1, 2, 3$ ) of the contents peers sends an enhanced packet subsequence  $[pkt]_i^h$  as shown in Figure 5. Here,  $[pkt]_1^2 = \langle t_{\langle 1,2 \rangle}, t_3, t_5, t_{\langle 7,8 \rangle}, t_9, \dots \rangle$ ,  $[pkt]_2^2 = \langle t_1, t_{\langle 3,4 \rangle}, t_6, t_7, t_{\langle 9,10 \rangle}, \dots \rangle$ , and  $[pkt]_3^2 = \langle t_2, t_4, t_{\langle 5,6 \rangle}, t_8, t_{10}, \dots \rangle$  for parity interval  $h = 2$ . Then, each contents peer  $CP_i$  randomly selects three contents peers, say  $CP_1$  selects three contents peers  $CP_4$ ,  $CP_5$ , and  $CP_6$ ,  $CP_2$  selects  $CP_6$ ,  $CP_7$ , and  $CP_8$ , and  $CP_3$  selects  $CP_8$ ,  $CP_9$ , and  $CP_{10}$  for  $H = 3$ . Suppose that each contents peer  $CP_i$  sends two packets for  $\delta$  time units. In the DCoP,  $CP_6$  is a child of two parents  $CP_1$  and  $CP_2$ . A pair of enhanced subsequences  $[[pkt]_1^2]_3^3 = \langle t_{\langle \langle 1,2 \rangle, 3, 5 \rangle}, t_{\langle 1,2 \rangle}, t_3, t_5, t_{\langle 7,8 \rangle}, t_{\langle \langle 7,8 \rangle, 9, 11 \rangle}, t_9, t_{11}, \dots \rangle$  and  $[[pkt]_2^2]_3^3 = \langle t_{\langle 1, \langle 3,4 \rangle, 6 \rangle}, t_1, t_{\langle 3,4 \rangle}, t_6, t_7, t_{\langle 7, \langle 9, 11 \rangle, 12 \rangle}, t_{12}, \dots \rangle$  are obtained for  $CP_1$  and  $CP_2$ , respectively, each of which is divided to four subsequences.  $CP_1$  takes an enhanced subsequence  $[[pkt]_1^2]_3^3 = \langle t_{\langle \langle 1,2 \rangle, 3, 5 \rangle}, t_{\langle 7,8 \rangle}, \dots \rangle$ .  $CP_6$  takes a pair of enhanced subsequences  $[[pkt]_1^2]_3^3 = \langle t_5, t_{11}, \dots \rangle$  from  $CP_1$  and  $[[pkt]_2^2]_3^3 = \langle t_1, t_{\langle 7, \langle 9, 11 \rangle, 12 \rangle}, \dots \rangle$  from  $CP_2$  and merges them to  $pkt_6 = \langle t_1, t_5, t_{11}, t_{\langle 7, \langle 9, 11 \rangle, 12 \rangle}, \dots \rangle$ . Then,  $CP_6$  sends packets in  $pkt_6$ .

In the other coordination protocol TCoP, contents peers  $CP_6$  and  $CP_8$  are selected by a pair of parents  $CP_1$  and  $CP_2$  and a pair of parents  $CP_2$  and  $CP_3$ , respectively. Suppose  $CP_6$  and  $CP_8$  take contents peers  $CP_3$  as the parent.  $CP_4$  and  $CP_5$  start transmitting packets following the packet  $t_3$ . The subsequence  $[pkt]_1^3[t_5] = \langle t_5, t_{\langle 7,8 \rangle}, t_9, t_{11}, t_{\langle 13,14 \rangle}, \dots \rangle$  is enhanced by adding parity packets for parity interval  $h = 2$ . Here, a subsequence  $\langle t_{\langle 5, \langle 7,8 \rangle \rangle}, t_5, t_{\langle 7,8 \rangle}, t_9, t_{\langle 9,11 \rangle}, t_{11}, t_{\langle 5, \langle 13,14 \rangle \rangle}, t_{15}, t_{\langle 13,14 \rangle, 15 \rangle}, \dots \rangle$  is obtained. Here, the contents peers  $CP_1$ ,  $CP_4$ , and  $CP_5$  take subsequences  $\langle t_{\langle 5, \langle 7,8 \rangle \rangle}, t_9, t_{\langle 13,14 \rangle}, \dots \rangle$ ,  $\langle t_5, t_{\langle 9,11 \rangle}, t_{15}, \dots \rangle$ , and  $\langle t_{\langle 7,8 \rangle}, t_{11}, t_{\langle \langle 7,8 \rangle, 15 \rangle} \rangle$ , respectively.

## 4. Evaluation

We evaluate a pair of the coordination protocols DCoP and TCoP for synchronizing multiple contents peers in terms of the synchronization time and the number of redundant parity packets. Suppose there are  $n$  ( $\geq 1$ ) contents peers  $CP_1, \dots, CP_n$  which transmit packets of a content to a leaf peer  $LP_s$ . Let  $H$  be the number of child contents peers to be selected by each parent ( $H \leq n$ ).  $(H - h)$  shows packet interval. Suppose each channel  $CC_i$  between a contents peer  $CP_i$  and a leaf peer  $LP_s$  supports reliable high-speed communication like 10 Gbps Ethernet.

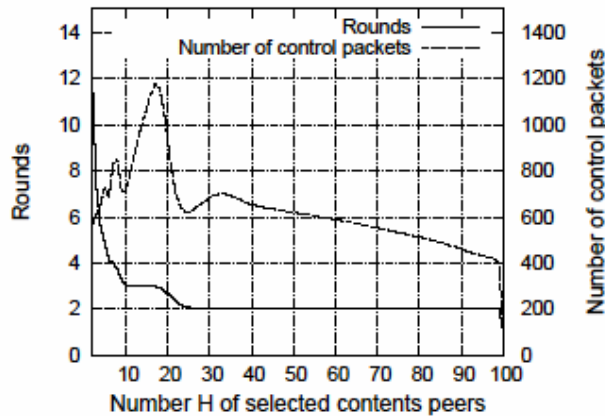


Fig. 9. Rounds and number of control packets in DCoP.

Figure 9 shows the number of control packets transmitted and how many rounds it takes to synchronize 100 contents peers in DCoP for each  $H$  ( $2 \leq H \leq 100$ ). Here,  $h = 1$ , i.e. one parity packet is sent for every 99 packets. The straight line shows the number of rounds and the dotted line indicates the number of control packets. For example, it takes two rounds and about 600 control packets are transmitted until all the contents peers start transmitting packets to a leaf peer in two rounds for  $H = 60$ . Figure 10 shows the numbers of control packets and rounds in TCoP. About 7400 control packets are transmitted in six rounds for  $H = 60$ . More number of packets are transmitted in TCoP than DCoP.

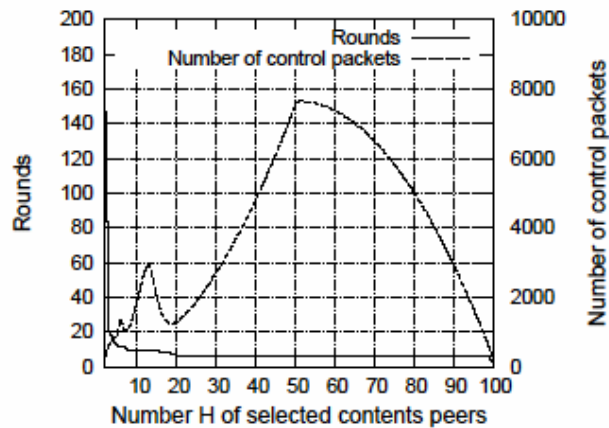


Fig. 10. Rounds and number of control packets in TCoP.

In DCoP and TCoP, one parity packet is transmitted for every  $H - h$  packets. Figure 11 shows the receipt rate of a leaf peer from 100 contents peers for each  $H$ . Here, “rate = 1” shows the content rate, for example, 30 Mbps for video content. If no parity packet is transmitted in DCoP and TCoP, the leaf peer receives the content rate, i.e. rate = 1. For example, rate = 1.019 in DCoP and rate = 1.226 in TCoP for  $H = 60$ . In DCoP, the fewer number of parity packets are transmitted than TCoP. The smaller  $H$  is, the more number of parity packets are transmitted.

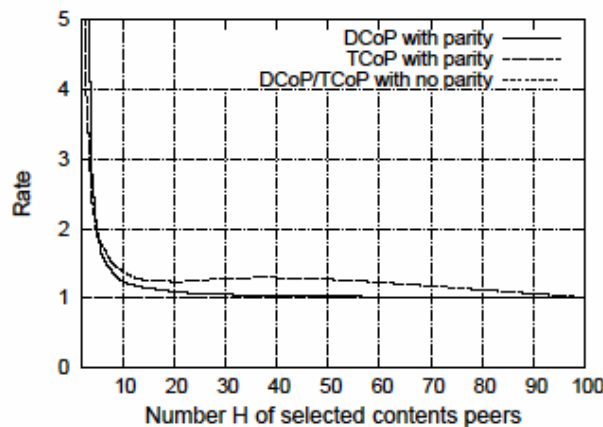


Fig. 11 Receipt rate of leaf peer.

## 5. Concluding Remarks

In this paper, we discussed the *multi-source streaming* model for transmitting continuous multimedia contents from multiple contents peers to a leaf peer. In P2P overlay networks, peers on various types of computers can support other peers with multimedia contents. We discussed two types of the coordination protocols, DCoP and TCoP for multiple contents peers to transmit packets to a leaf peer. In order to reduce the communication overheads, only a subset of the contents peers start transmitting packets and then each of the contents peers initiates some number of other contents peers. In the evaluation, DCoP shows better performance than TCoP. We are now discussing heterogeneous environment where each contents peer may support different transmission rate and even change the rate.

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